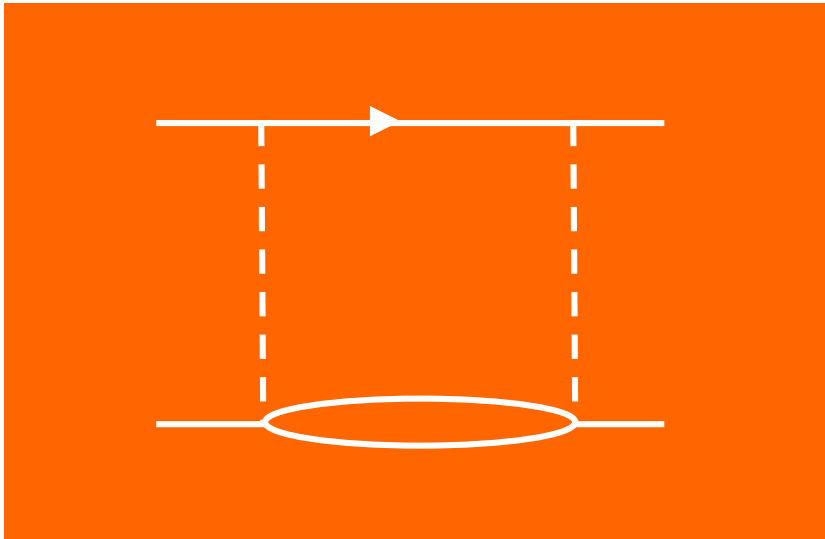


Understanding the Deuteron Radius Discrepancy: A systematic study of nuclear structure uncertainties



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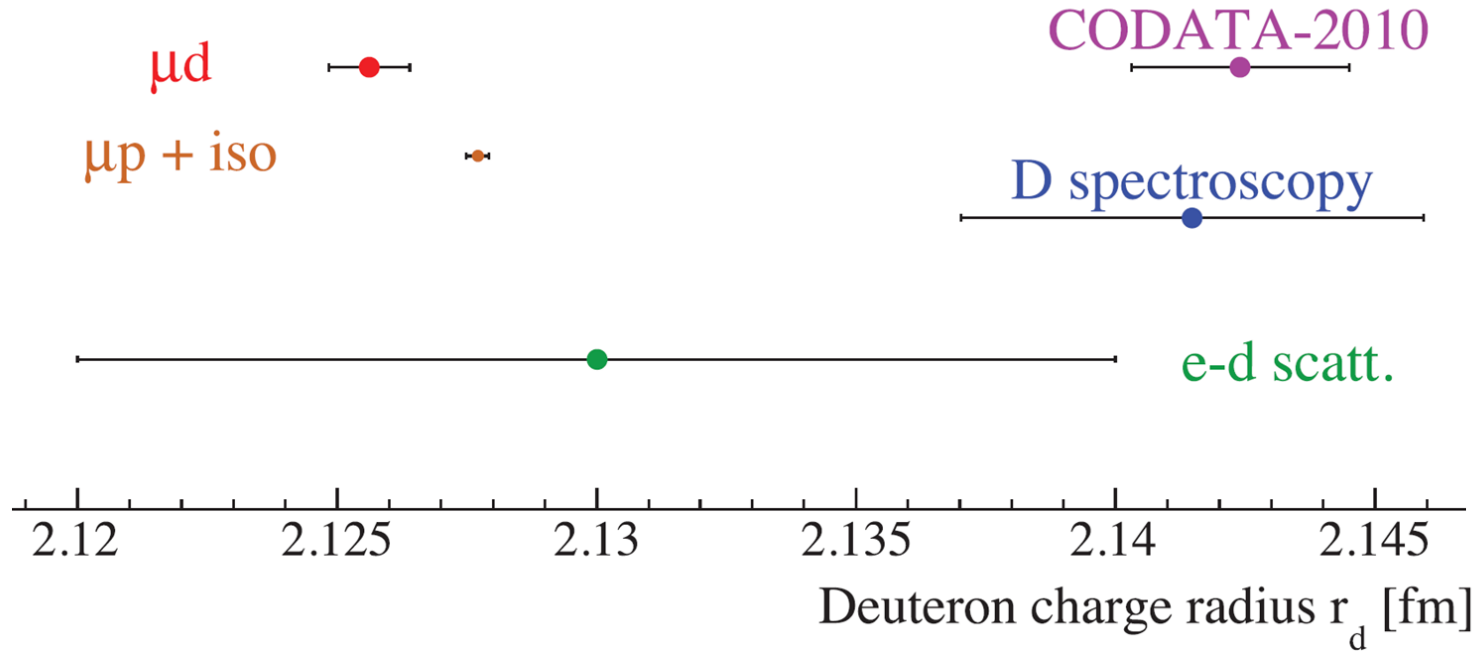


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There is a discrepancy between eD and μ D data



δ_{TPE} discrepancy between theory and experiment

$$\begin{array}{l} \mu d \quad \text{---} \bullet \text{---} \\ \mu p + \text{iso} \quad \bullet \quad \langle r_{ch}^2 \rangle_d - \langle r_{ch}^2 \rangle_p = 3.82007(65) \text{ fm}^2 \end{array}$$

δ_{TPE} discrepancy between theory and experiment

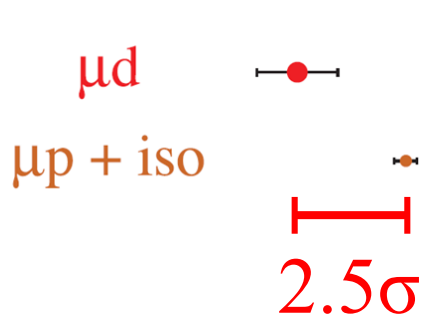
μd 
 $\mu p + iso$ 

$\delta_{TPE}(Our\ Work) = -1.727(20)\text{ meV}$ [Hernandez et. al, 2014]

$\delta_{TPE}(Pachucki) = -1.717(20)\text{ meV}$ [Pachucki et. al, 2015]

$$\Delta E(2S - 2P) = \delta_{QED} + \frac{m_r^3}{12} (Z\alpha)^4 \langle r_{ch}^2 \rangle_d + \delta_{TPE}$$

δ_{TPE} discrepancy between theory and experiment



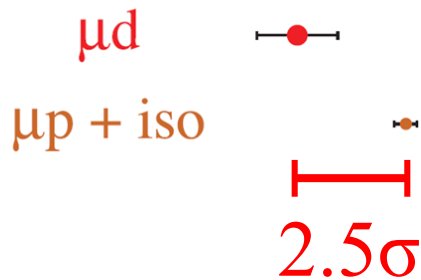
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$$\delta_{TPE}(Exp) = -1.7638(68)\text{ meV} \quad [\text{Pohl et. al. Science, 2016}]$$

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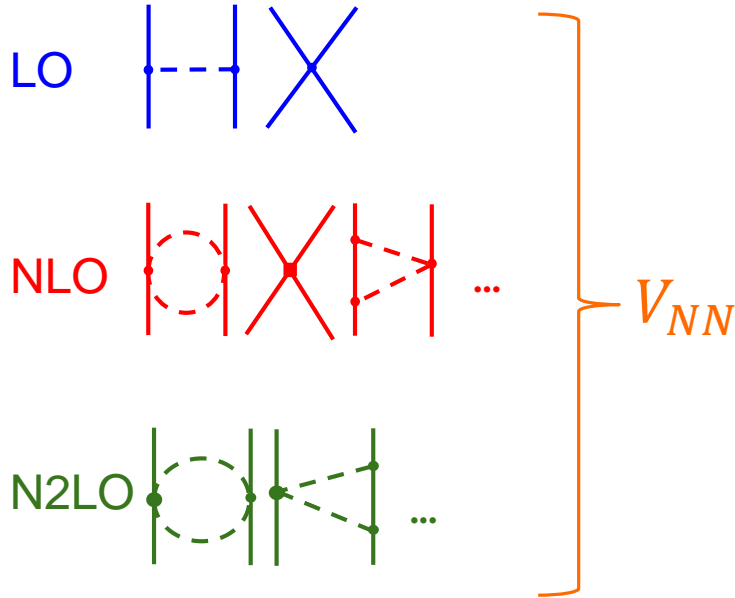
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- A thorough analysis may change our $\sim 1\%$ uncertainty and shed light on 2.5σ disagreement in δ_{TPE}

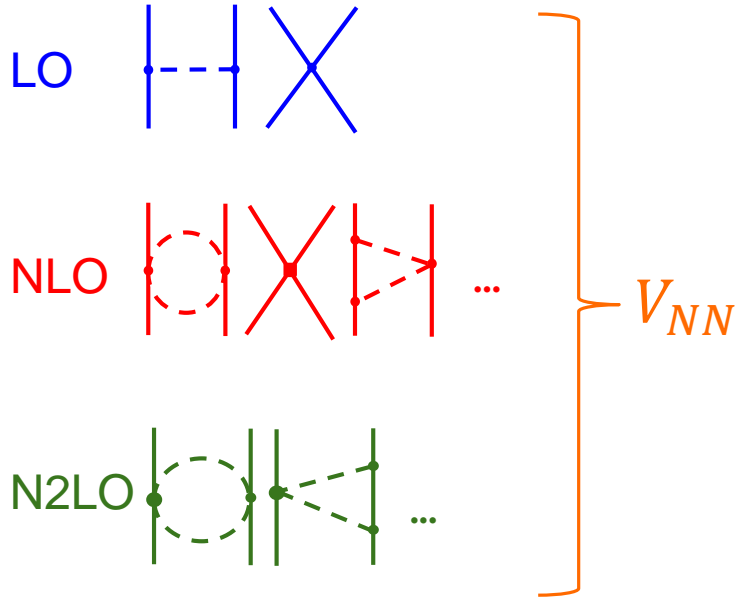
Road map to better assess the uncertainty



- Use N2LO potentials fit simultaneously to NN and πN data

$$A(T_{Lab}, \Lambda, c_\nu)$$

Road map to better assess the uncertainty



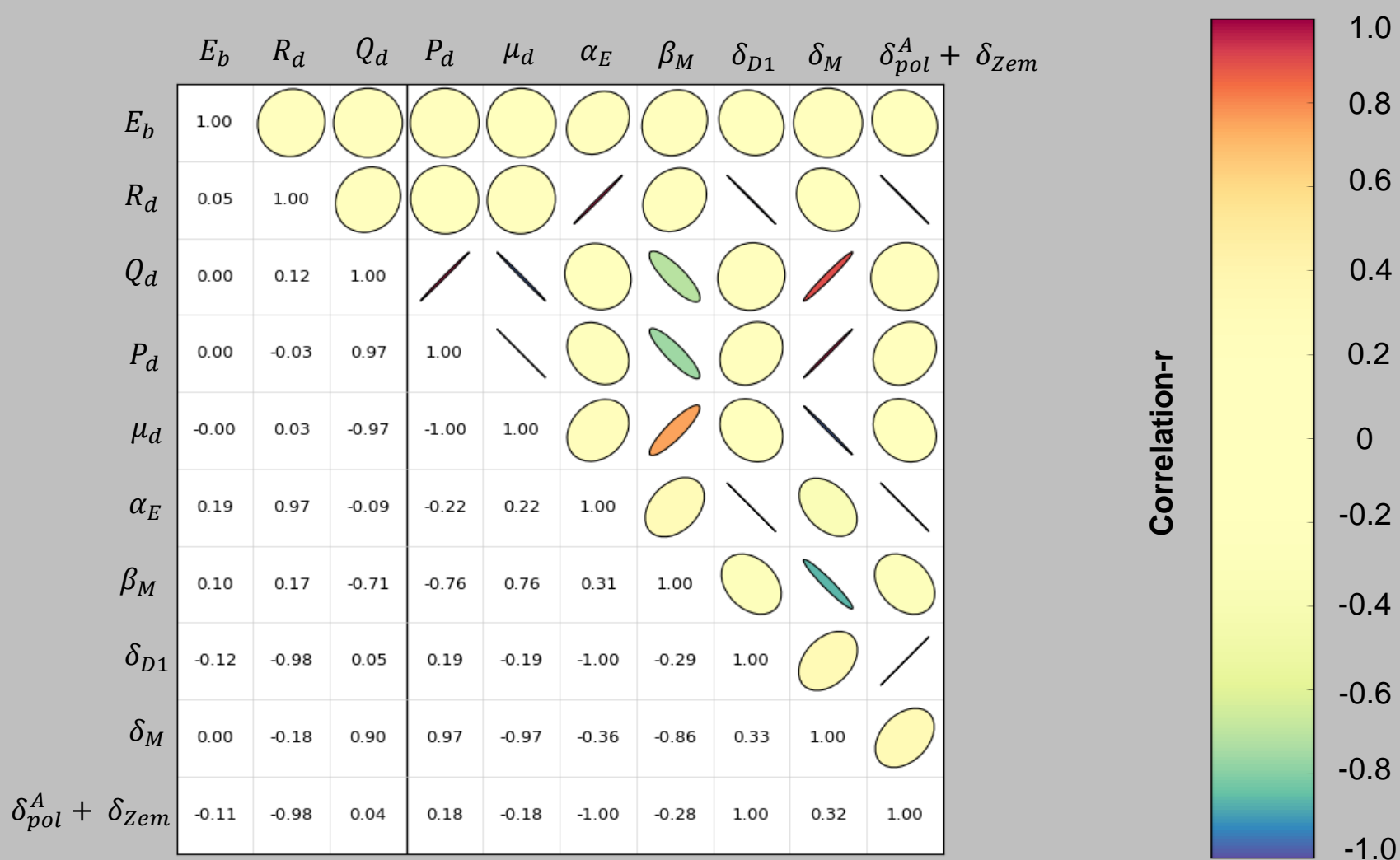
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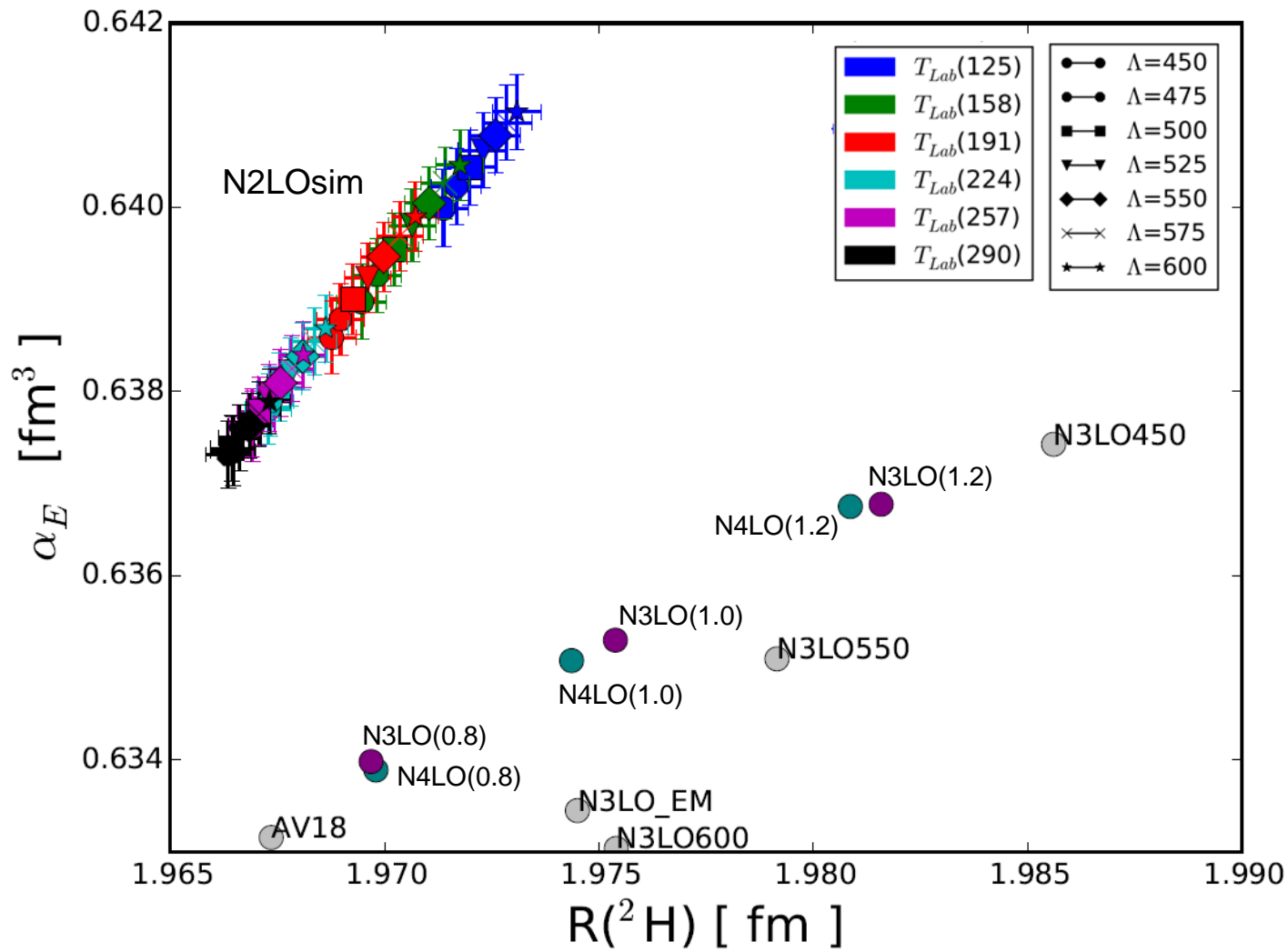
$$A(T_{Lab}, \Lambda, \mathbf{c}_v)$$

- Propagate errors using standard techniques

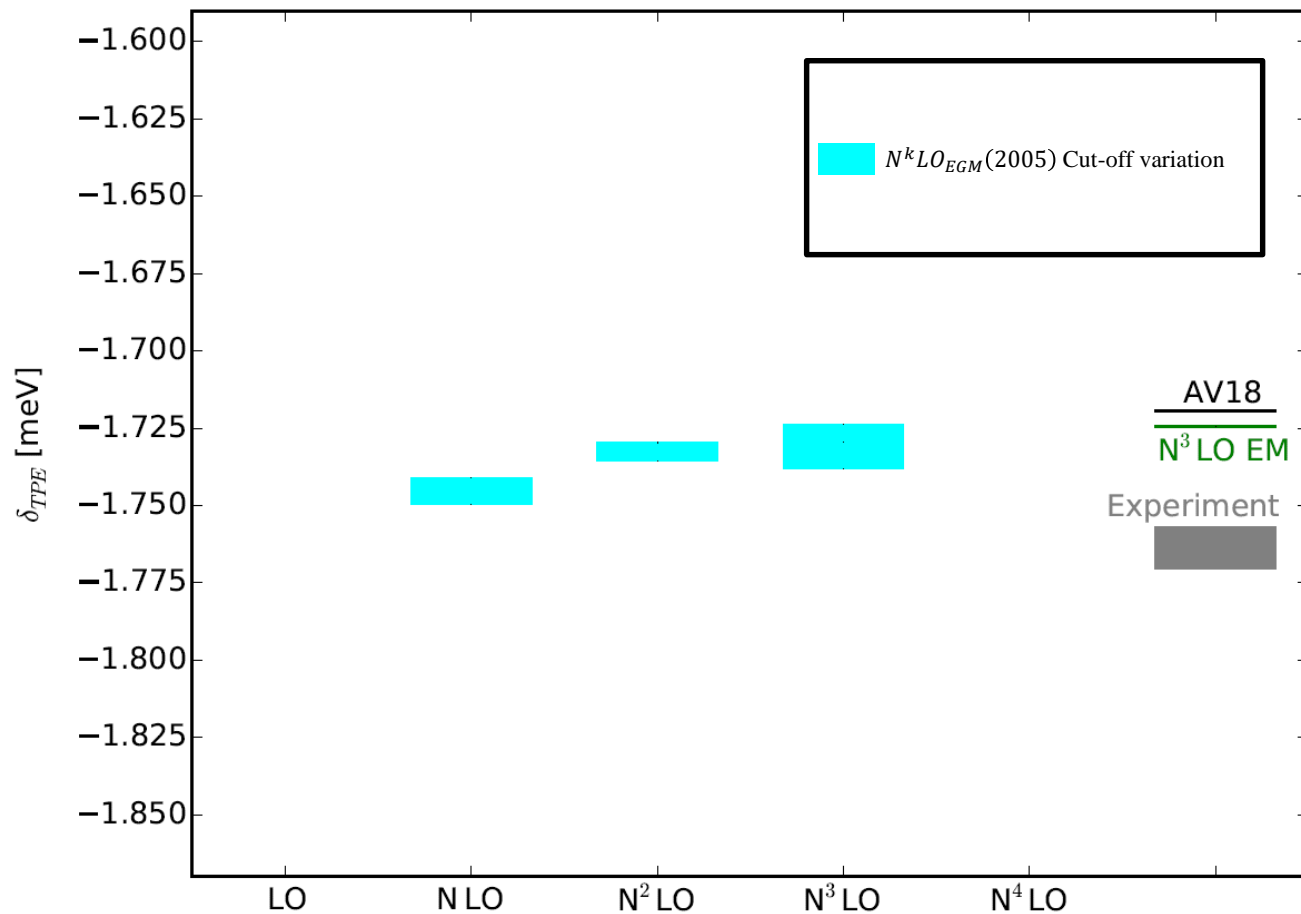
$$J_A^T = \frac{\partial A}{\partial \mathbf{c}_v}, \text{Cov}(A, B) = J_A^T \text{Cov}(\mathbf{c}_v) J_B$$

$$\sigma_A = \sqrt{\text{Cov}(A, A)}$$

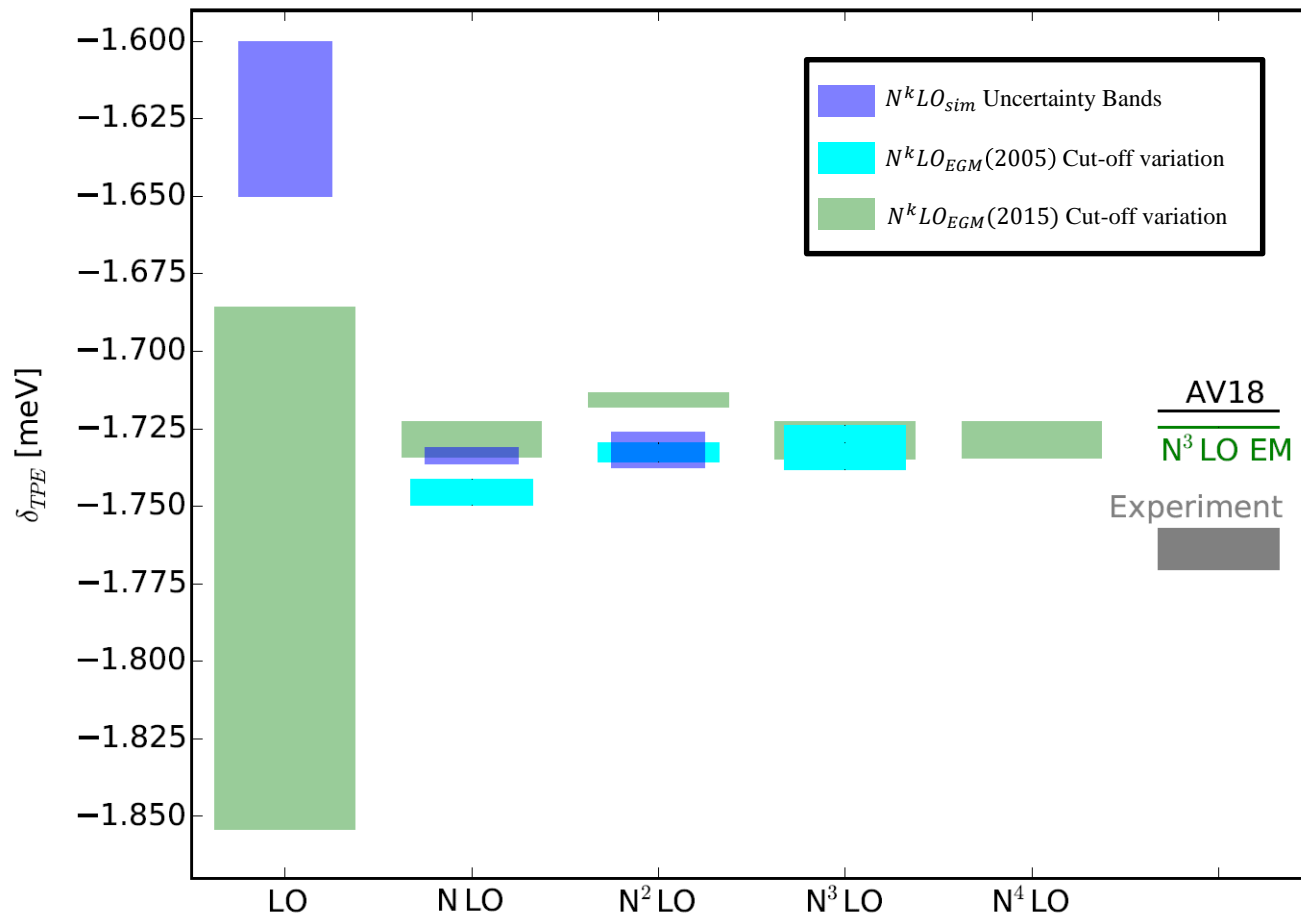




Preliminary Results



Preliminary Results



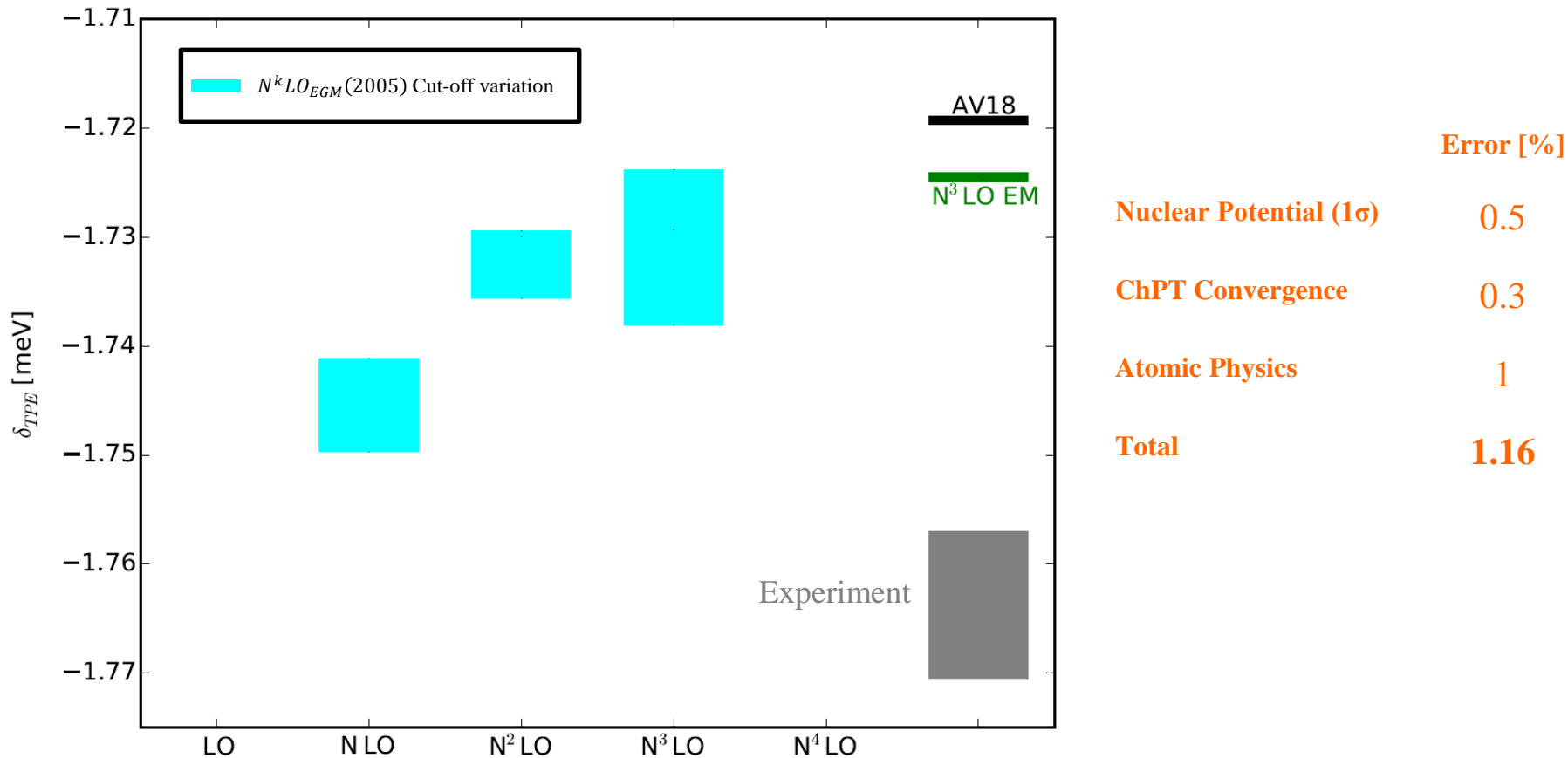
Outlook

- Solve 2.5σ discrepancy in μD to shed light on the puzzle(s)
- Develop an alternative derivation of δ_{TPE}
- Improve 1% atomic physics error estimate
- Apply (all of the above) to μHe where nuclear physics uncertainty dominates

Thank you!



Previous δ_{TPE} Results



The total Lamb shift error budget

$$\Delta E(2S - 2P) = \delta_{QED} + \delta_{FS} + \delta_{TPE}$$

δ_{QED}  228.7766 (10) meV

δ_{FS}  -6.1103 (3) r_d^2 meV/fm²

δ_{TPE}  1.7096 (200) meV

