

Robust predictions of electromagnetic ratio observables from no-core configuration interaction (NCCI)

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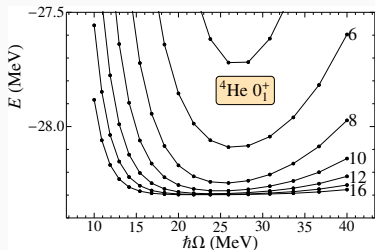
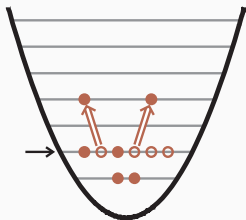
University of Notre Dame

No-core configuration interaction (NCCI) approach

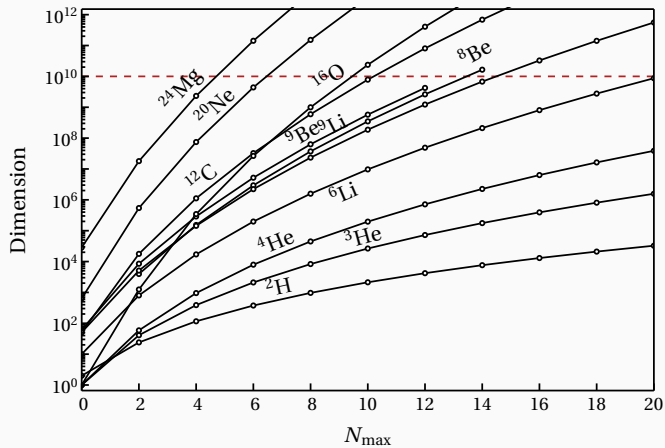
P. Navratil, J. P. Vary, and B. R. Barrett, Phys. Rev. Lett. **84**, 5728 (2000).

1. Begin with orthonormal single-particle basis: 3-dim harmonic oscillator
2. Construct many-body basis from product states (Slater determinants)
3. Basis state described by distribution of nucleons over oscillator shells
4. Basis must be truncated: N_{\max} truncation by oscillator excitations
5. Results depend on truncation N_{\max} — and oscillator length (or $\hbar\omega$)

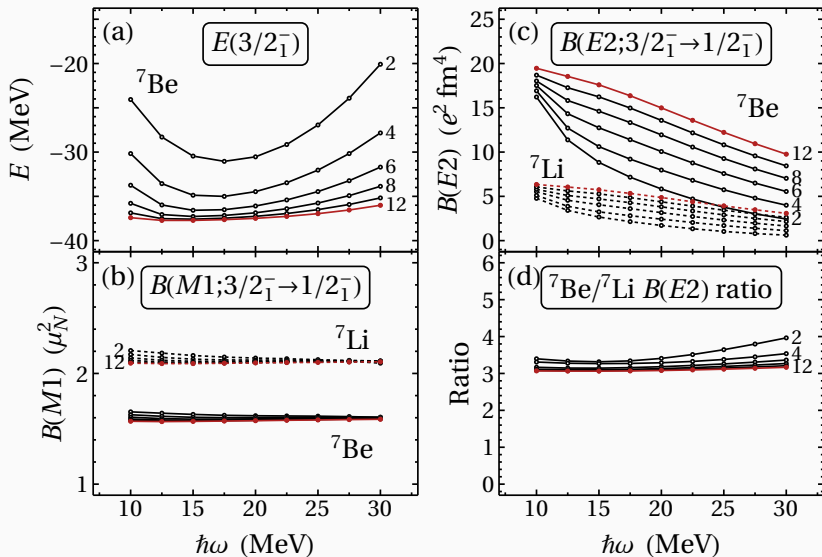
Convergence towards exact result with increasing N_{\max}



NCCI Basis Size

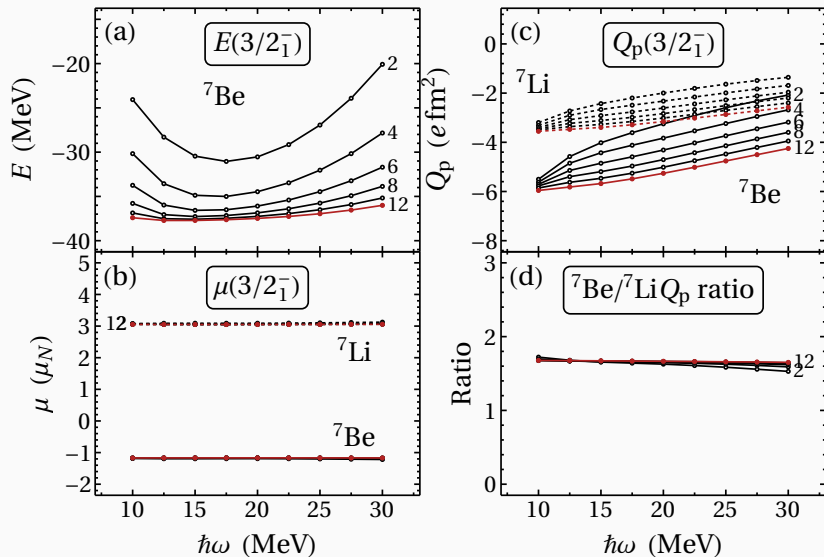


Convergence behavior of observable

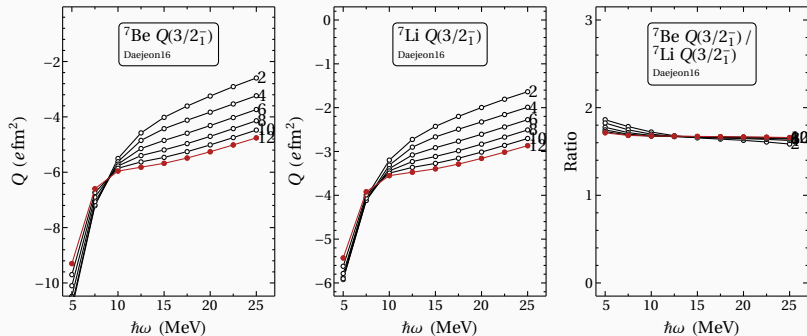


S. L. Henderson, T. Ahn, M. A. Caprio, P.J.F, et al., submitted to Phys. Rev. C

Convergence behavior of observables – moments



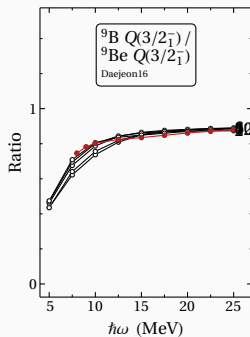
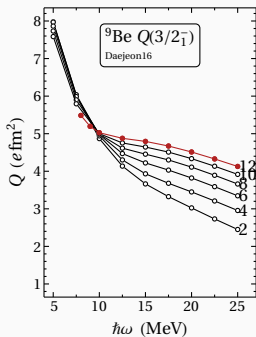
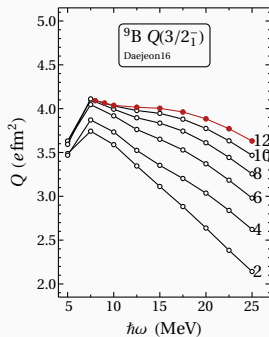
Ratio of ${}^7\text{Be}$ & ${}^7\text{Li}$ quadrupole moments



We have extracted a useful quantity! If we know Q_p for ${}^7\text{Li}$, we can predict Q_p for ${}^7\text{Be}$. Are the mirror nuclei in $A = 7$ a special case?

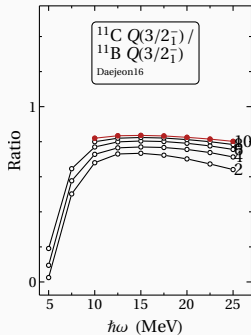
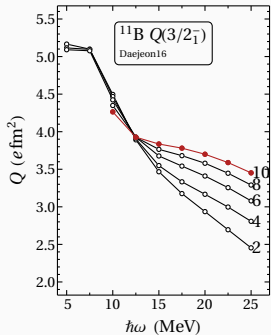
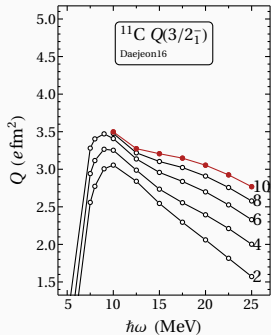
| | | | |
|-----------------|-------------------|-------------------|--------------------|
| ${}^9\text{C}$ | ${}^{10}\text{C}$ | ${}^{11}\text{C}$ | ${}^{12}\text{C}$ |
| ${}^8\text{B}$ | ${}^9\text{B}$ | ${}^{10}\text{B}$ | ${}^{11}\text{B}$ |
| ${}^7\text{Be}$ | ${}^8\text{Be}$ | ${}^9\text{Be}$ | ${}^{10}\text{Be}$ |
| ${}^6\text{Li}$ | ${}^7\text{Li}$ | ${}^8\text{Li}$ | ${}^9\text{Li}$ |

Ratios of quadrupole moments in other isobars



| | | | |
|-----------------|-------------------|-------------------|--------------------|
| ${}^9\text{C}$ | ${}^{10}\text{C}$ | ${}^{11}\text{C}$ | ${}^{12}\text{C}$ |
| ${}^8\text{B}$ | ${}^9\text{B}$ | ${}^{10}\text{B}$ | ${}^{11}\text{B}$ |
| ${}^7\text{Be}$ | ${}^8\text{Be}$ | ${}^9\text{Be}$ | ${}^{10}\text{Be}$ |
| ${}^6\text{Li}$ | ${}^7\text{Li}$ | ${}^8\text{Li}$ | ${}^9\text{Li}$ |

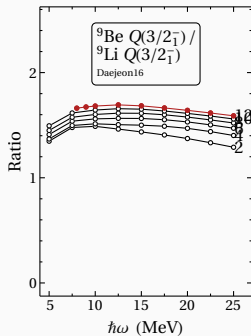
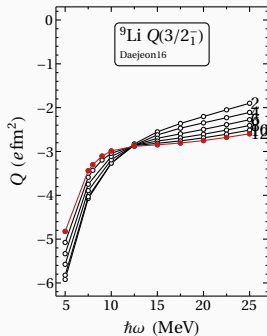
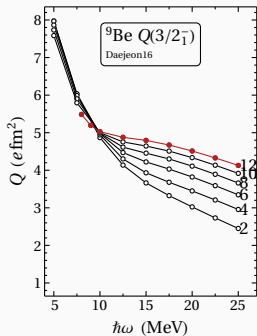
Ratios of quadrupole moments in other isobars



Are mirror nuclei a special case?

| | | | |
|---------------|-----------------|-----------------|------------------|
| ^9C | ^{10}C | ^{11}C | ^{12}C |
| ^8B | ^9B | ^{10}B | ^{11}B |
| ^7Be | ^8Be | ^9Be | ^{10}Be |
| ^6Li | ^7Li | ^8Li | ^9Li |

Ratios of quadrupole moments in other isobars

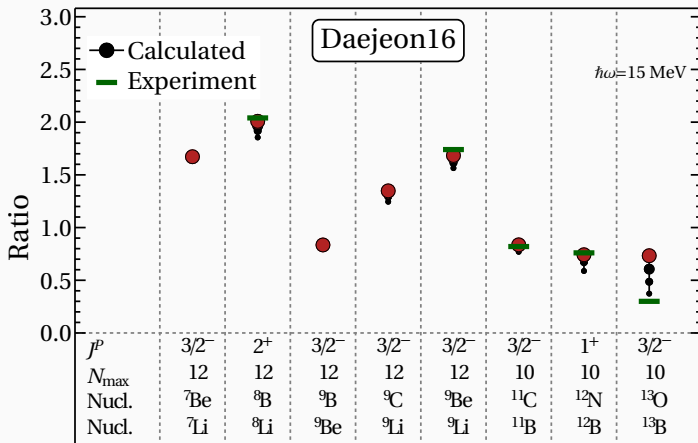


| | | | |
|-----------------|-------------------|-------------------|--------------------|
| ${}^9\text{C}$ | ${}^{10}\text{C}$ | ${}^{11}\text{C}$ | ${}^{12}\text{C}$ |
| ${}^8\text{B}$ | ${}^9\text{B}$ | ${}^{10}\text{B}$ | ${}^{11}\text{B}$ |
| ${}^7\text{Be}$ | ${}^8\text{Be}$ | ${}^9\text{Be}$ | ${}^{10}\text{Be}$ |
| ${}^6\text{Li}$ | ${}^7\text{Li}$ | ${}^8\text{Li}$ | ${}^9\text{Li}$ |

Summary

- Relative observables (ratios, differences, etc.) are an important way of circumventing convergence issues.
- Currently, we can take ratios to extract robust, testable predictions from unconverged calculations.
- Next steps are to understand where and why ratios are convergent, as well as where they fail.
 - Isobaric analogues?
 - Dependence on long-range tails?
 - Approximate symplectic symmetries?

Summary



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